



Fracturation électro-hydraulique des roches

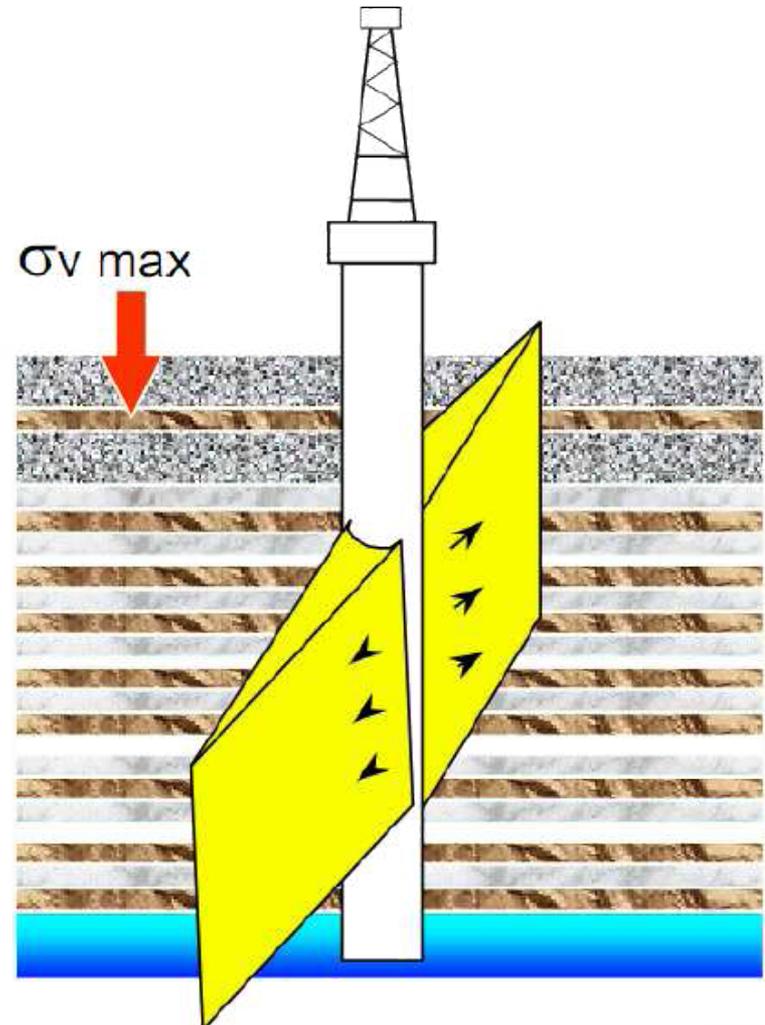
Gilles Pijaudier-Cabot

*Université de Pau et des Pays de l'Adour
Institut Universitaire de France*

C. La Borderie, T. Reess, O. Maurel, W. Chen, A. Sylvestre de Ferron, F. Rey-Betbeder, A. Jacques

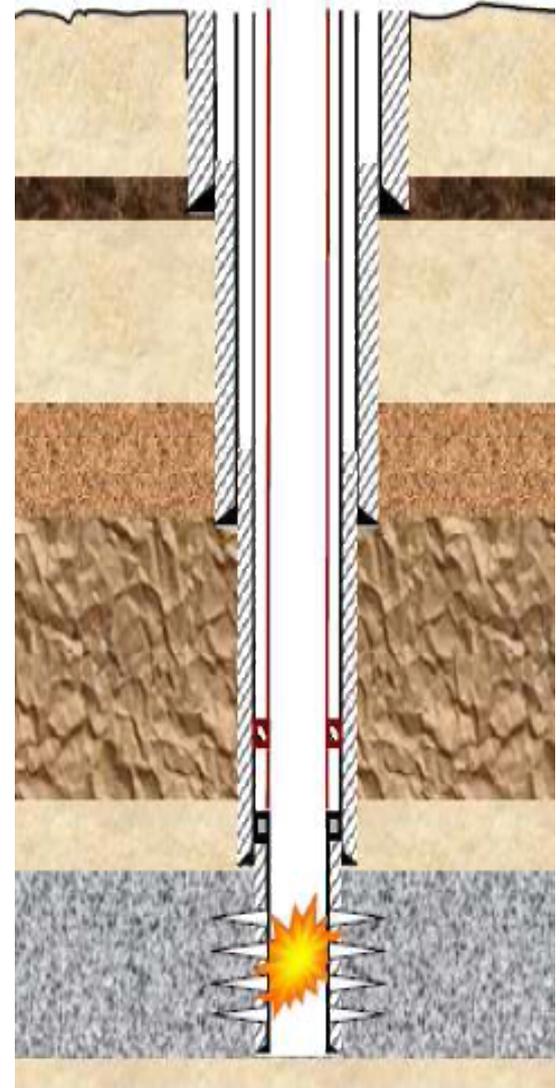
Context

- Extract fossil resources from tight rocks



Context

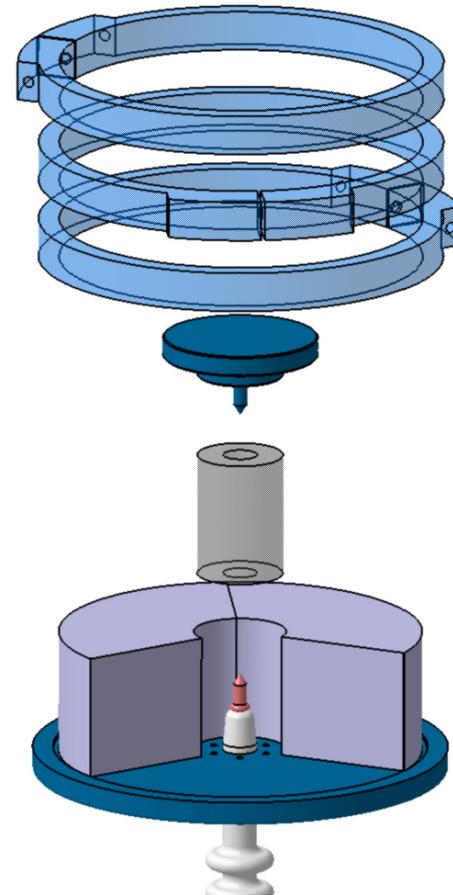
- Extract fossil resources from tight rocks
- Alternative to hydraulic fracturing = dynamic loads
- Dynamic wave generated by electrical discharge



From fracture to fragmentation....

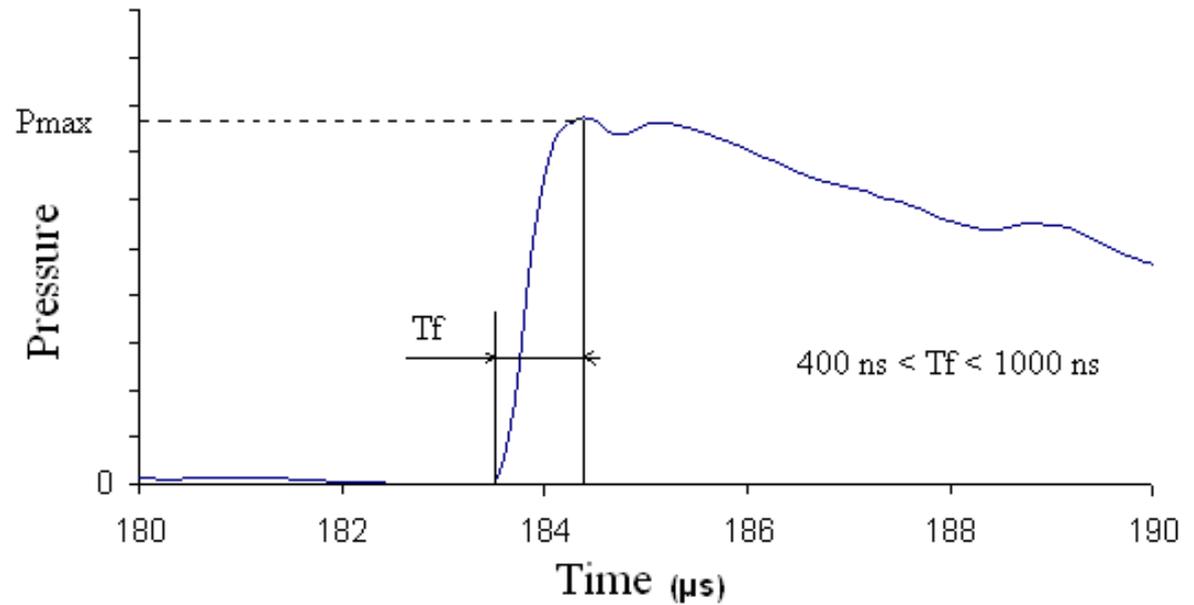
Pulsed Arc Electro-Hydraulic Discharge Fracturing

Experimental facility



Pulsed Arc Electro-Hydraulic Discharge Fracturing

Experimental facility



Coupling between damage and permeability



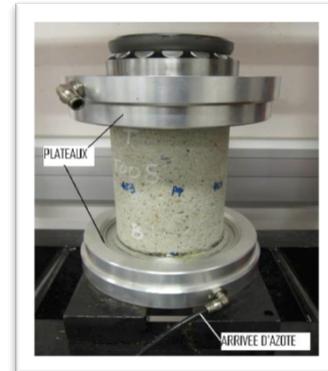
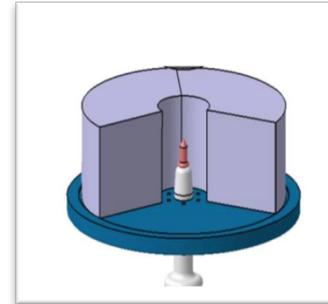
Fracture



Permeability measurement

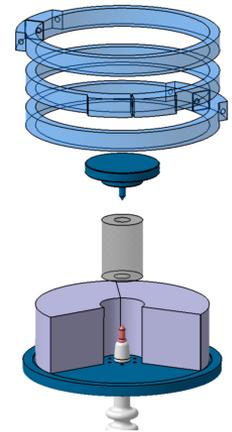
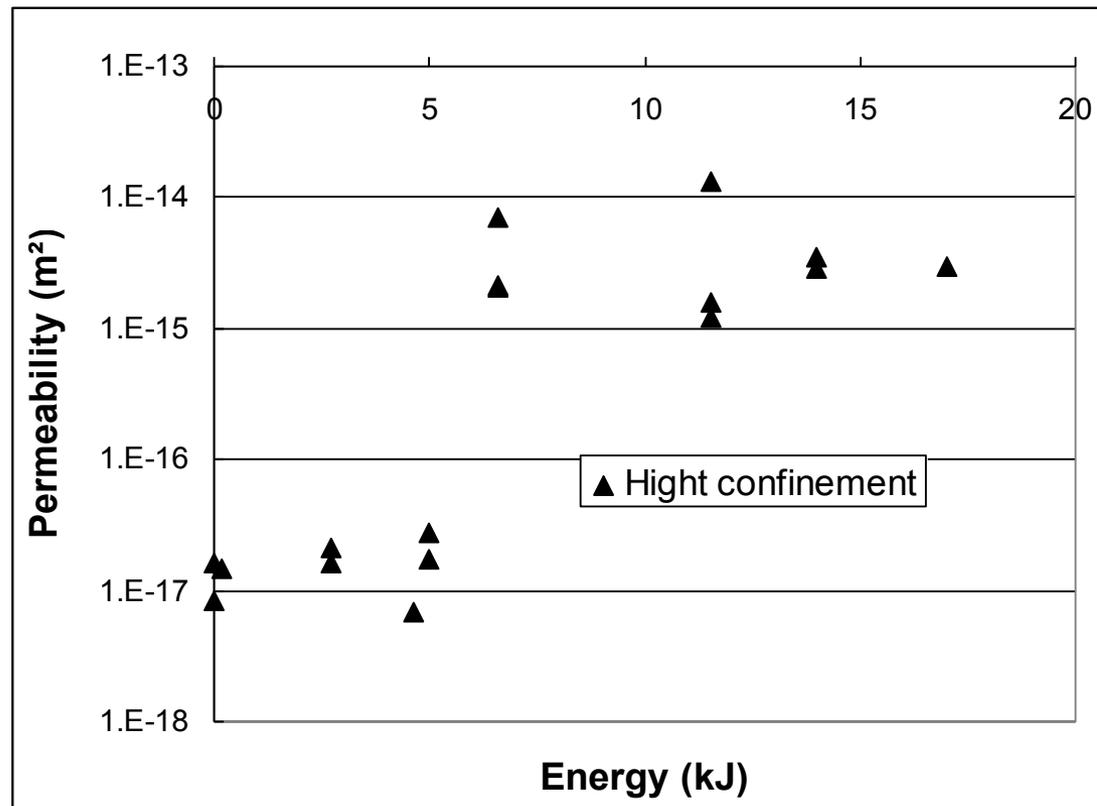


**PSD test
(mercury intrusion)**



Dynamic load – Shock wave

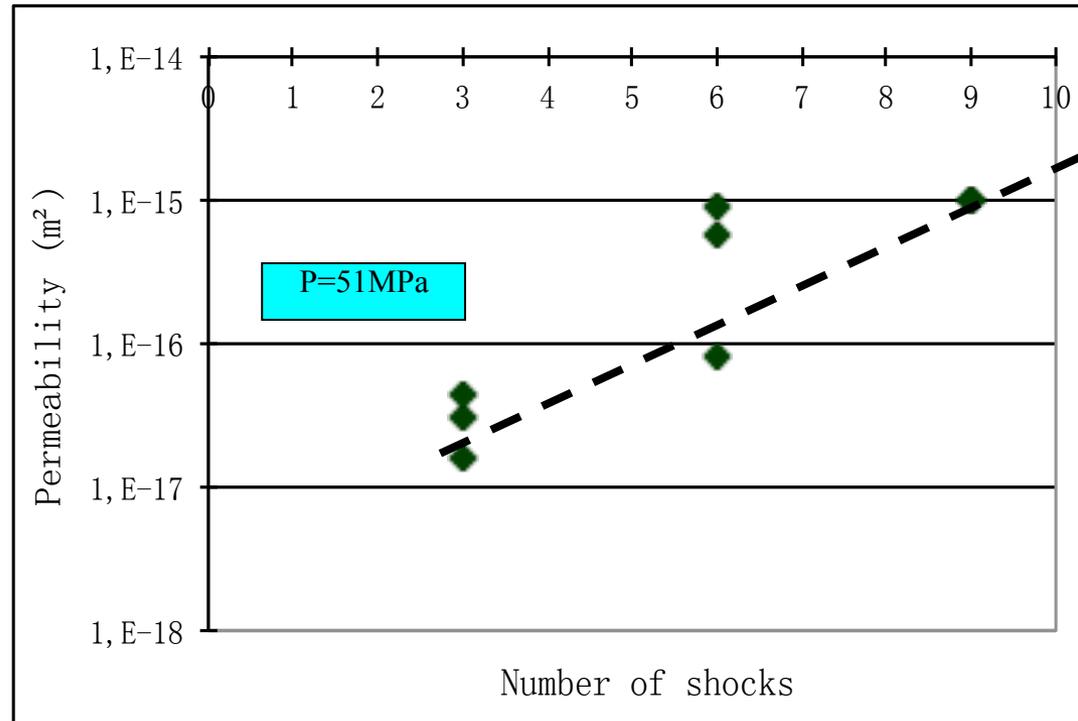
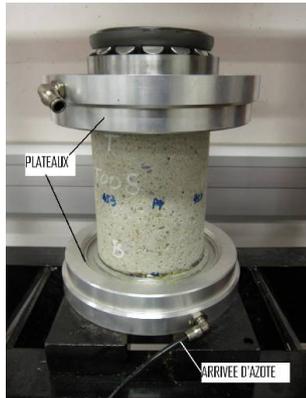
Effect of a single shock wave



Confinement : eq. to 2200 m

Dynamic load – Shock wave

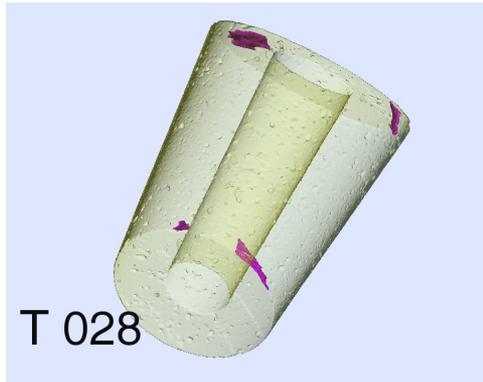
Multiple shocks



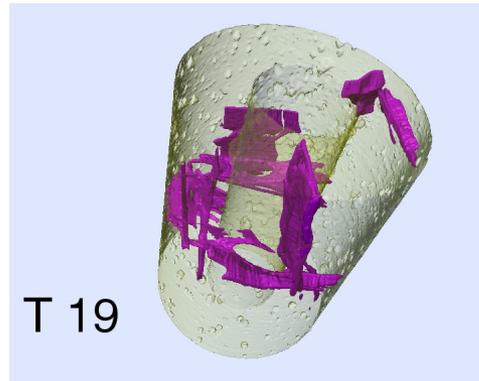
Confinement : equivalent to 2200 m

Dynamic load – Shock wave

Multiple shocks



Permeability 10^{-17} m



Permeability 10^{-16} m

Permeability 10^{-15} m



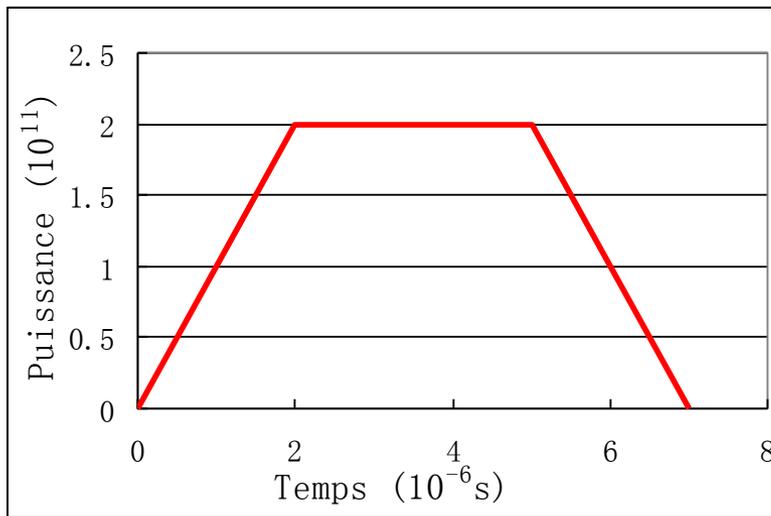
Confinement : equivalent to 2200 m

Computational model

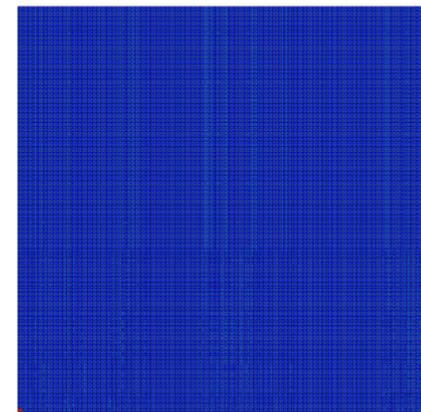
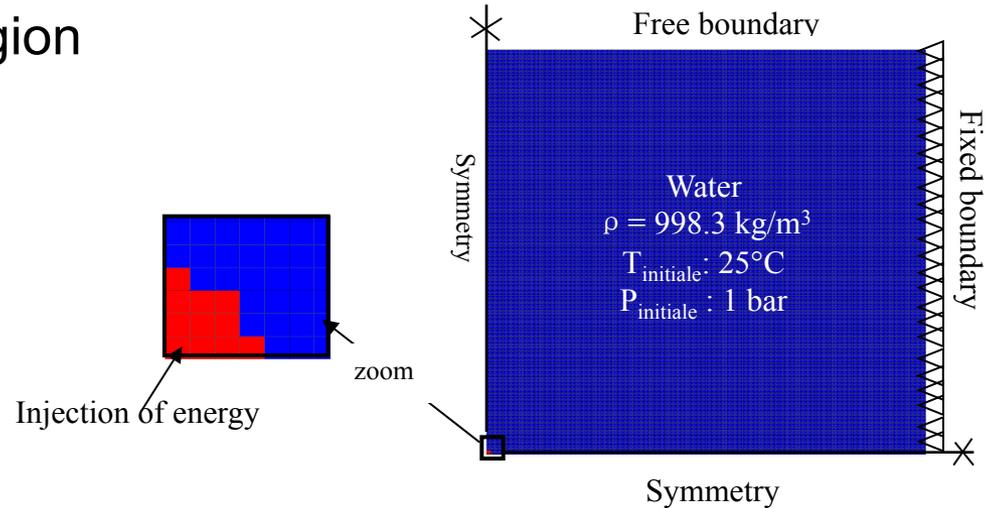
- Generation of the shock wave
 - Induced damage in the reservoir
 - Growth of permeability due to damage
-
- 
- Simulation of the experiments
 - Model « reservoir » simulations

Generation of the shockwave in water

- Injection of energy in small region (between the electrodes)
- Rely on the EOS of water



Electrical power injected $P(t)$



Test d'explosion en eau - Déclenché d'une bulle de gaz parfait EULER

Pressure wave 11

Constitutive modelling

- Based on continuum damage mechanics
- Anisotropic damage
- Crack closure effect
- Rate dependent response

Desmorat et al. 2007

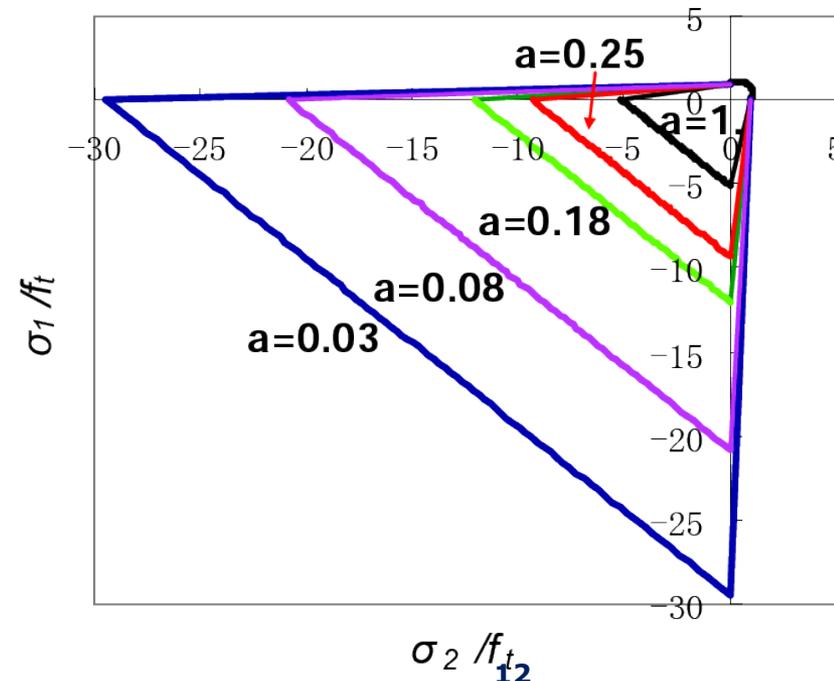
$$\varepsilon = \frac{1+\nu}{E} \tilde{\sigma} - \frac{\nu}{E} \text{tr} \tilde{\sigma} \cdot I$$

$$\tilde{\sigma} = \left[(1-D)^{-1/2} \sigma^D (1-D)^{-1/2} \right]^D + \frac{1}{3} \left[\frac{\langle \text{tr} \sigma \rangle_+}{1-\text{tr} D} + \langle \text{tr} \sigma \rangle_- \right] \cdot I$$

$$f = \hat{\varepsilon} - \kappa(D)$$

$$\hat{\varepsilon} = \sqrt{a \langle \varepsilon \rangle_+ : \langle \varepsilon \rangle_+ + \frac{1-a}{(1-2\nu)^2} \langle \text{Tr} \varepsilon \rangle_+^2}$$

$$\langle \varepsilon \rangle_+ : \langle \varepsilon \rangle_+ = \sum_{i=1}^3 \langle \varepsilon_i \rangle^2$$

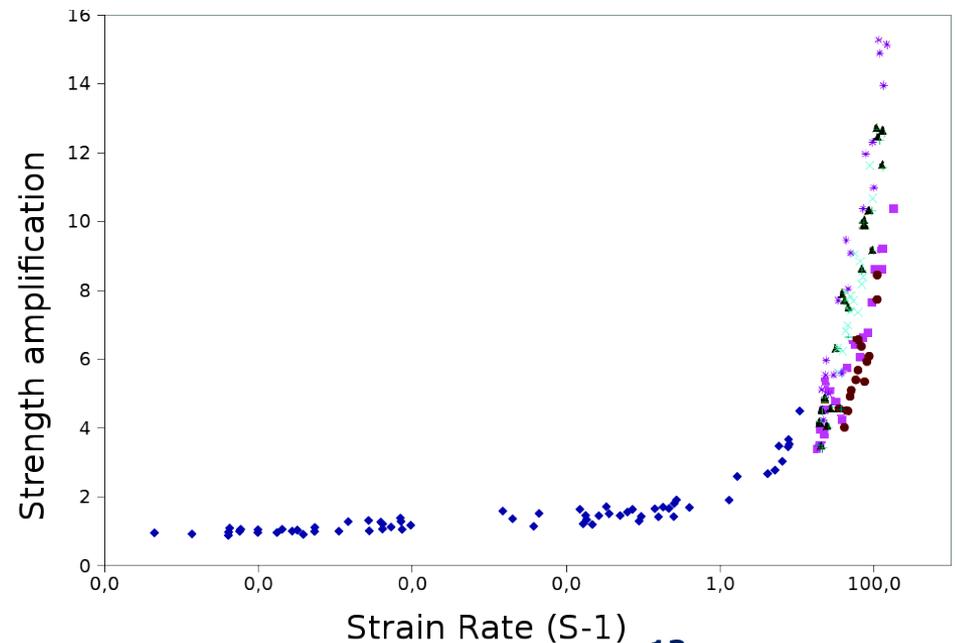
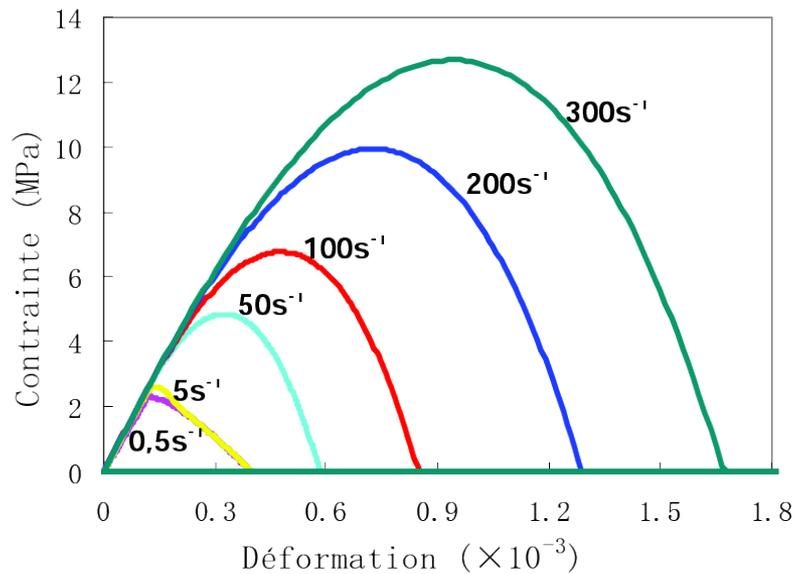


Rate dependent formulation

Classical rate dependent formulation

$$\dot{D}_i = \dot{\lambda} \frac{\langle \varepsilon_i \rangle}{\varepsilon_I}$$

$$\dot{\lambda} = \frac{1}{m} \left\langle \frac{f}{k_0} \right\rangle^n$$

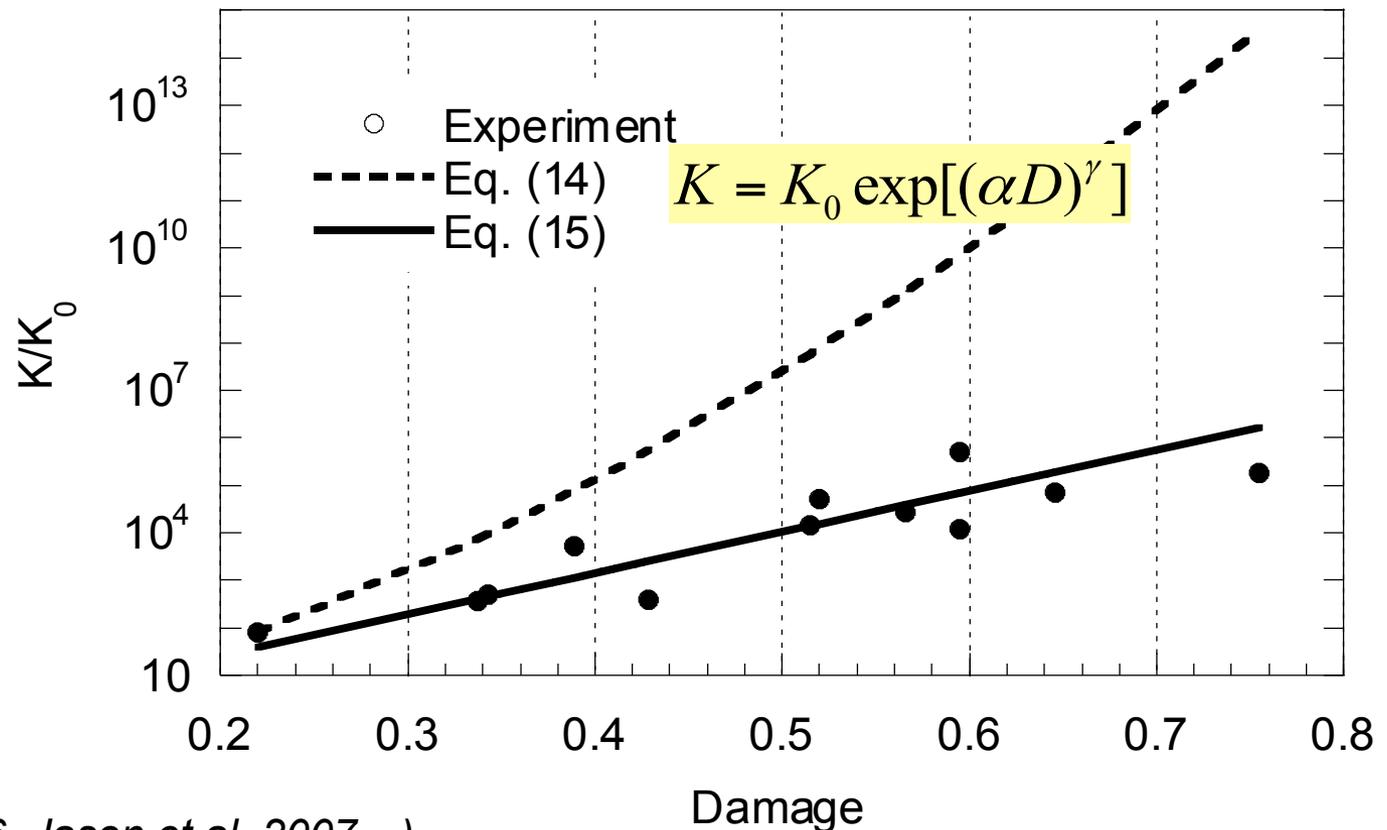


Evolution of permeability

Permeability is indexed on damage growth

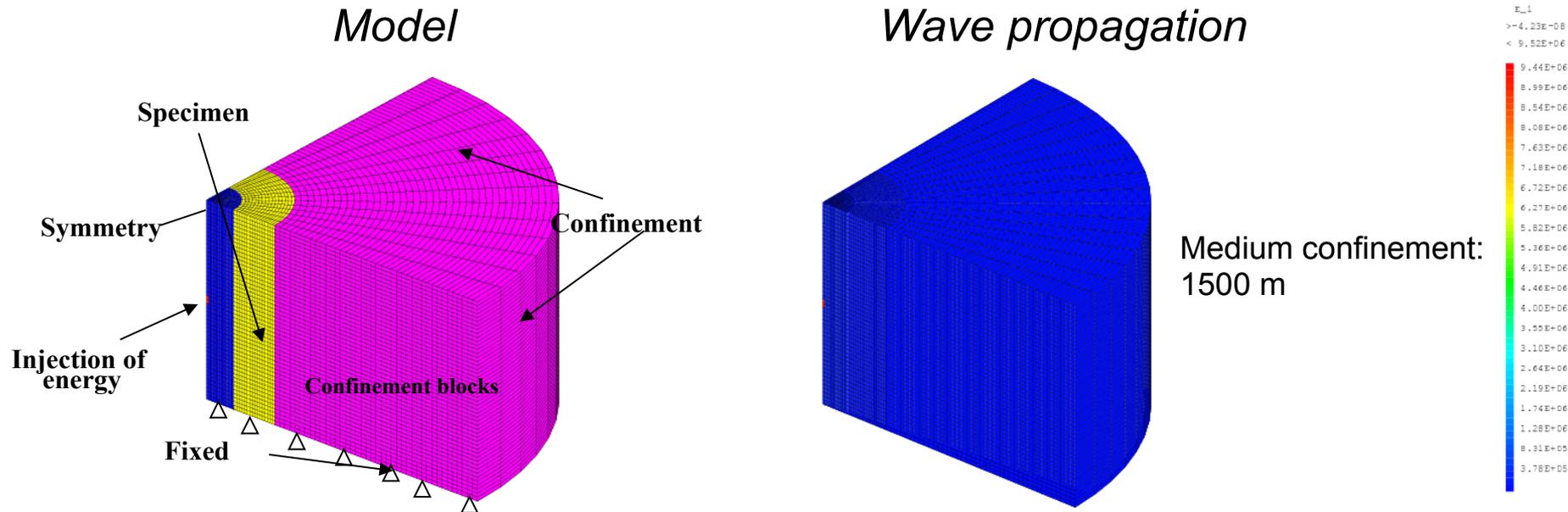
$$K = K_0 10^{8,67D-0,3} \quad D \geq 0,035$$

$$K = K_0 \quad D \leq 0,035$$



(Bary 1996, Jason et al. 2007...)

Computational model



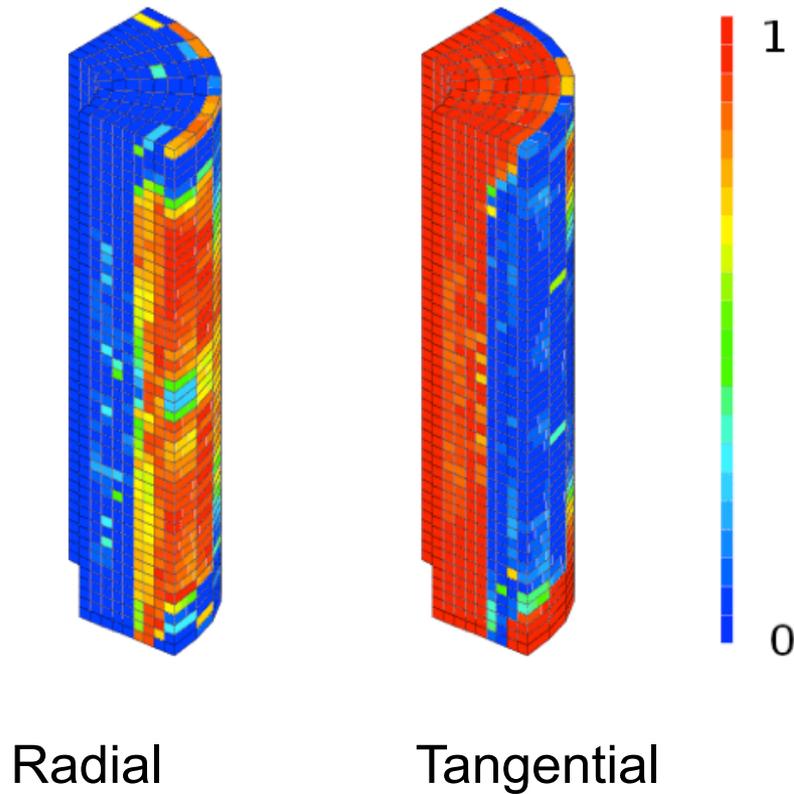
➤ Different confinement levels

Surface level : $P_{ax} = 2\text{MPa}$, $P_{rad} = 2\text{MPa}$

Medium confinement : $P_{ax} = 19.5\text{MPa}$, $P_{rad} = 9.1\text{MPa}$

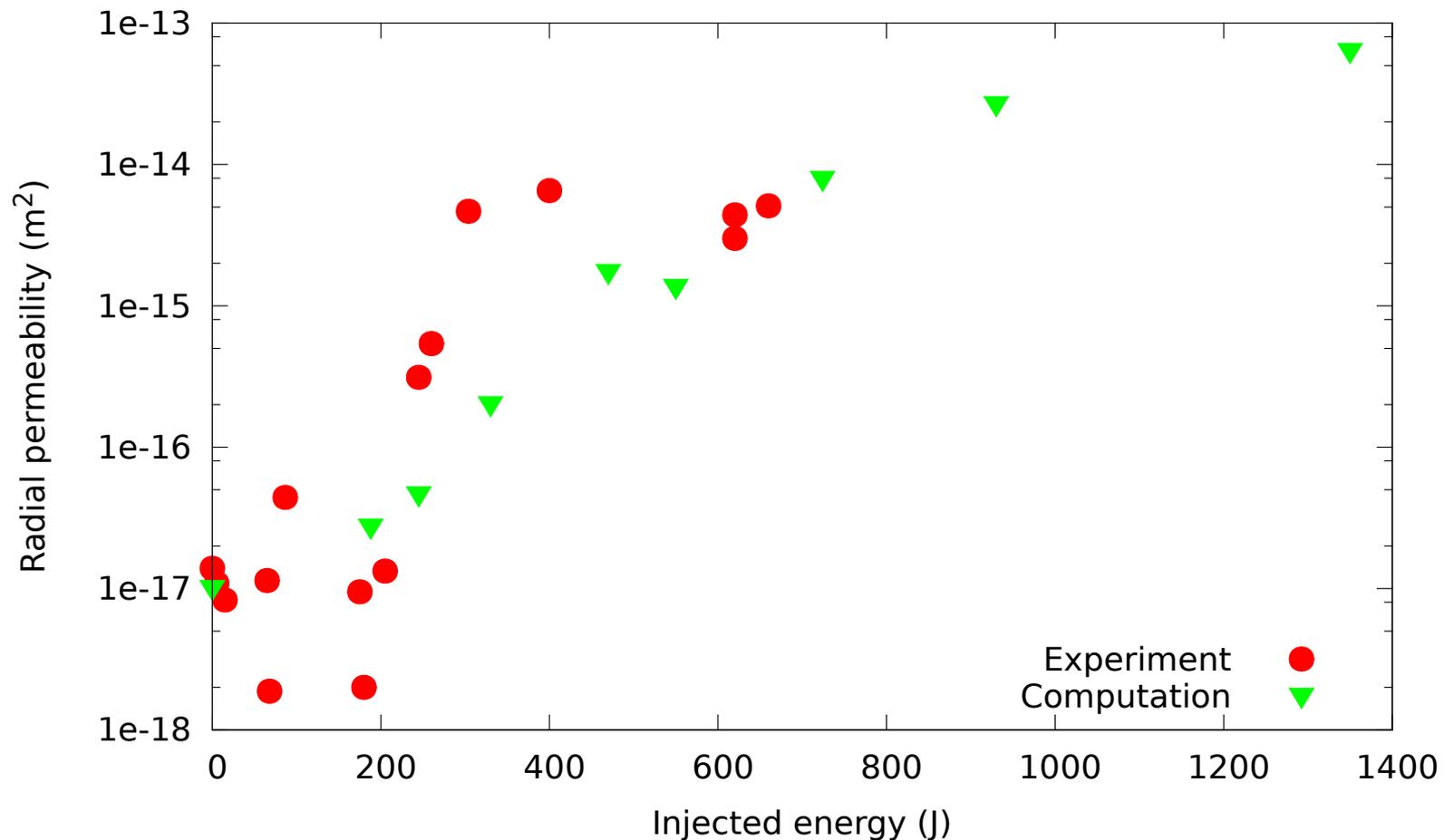
High confinement : $P_{ax} = 40\text{MPa}$, $P_{rad} = 25\text{MPa}$

Evolution of damage / Evolution of permeability



Medium confinement (1500 m),
vertical stress = 19.5 Mpa, confinement stress = 9.1 MPa

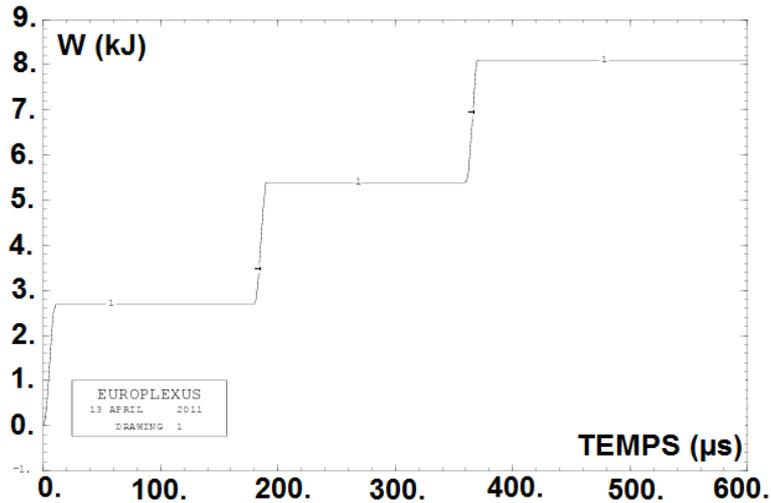
Evolution of damage / Evolution of permeability



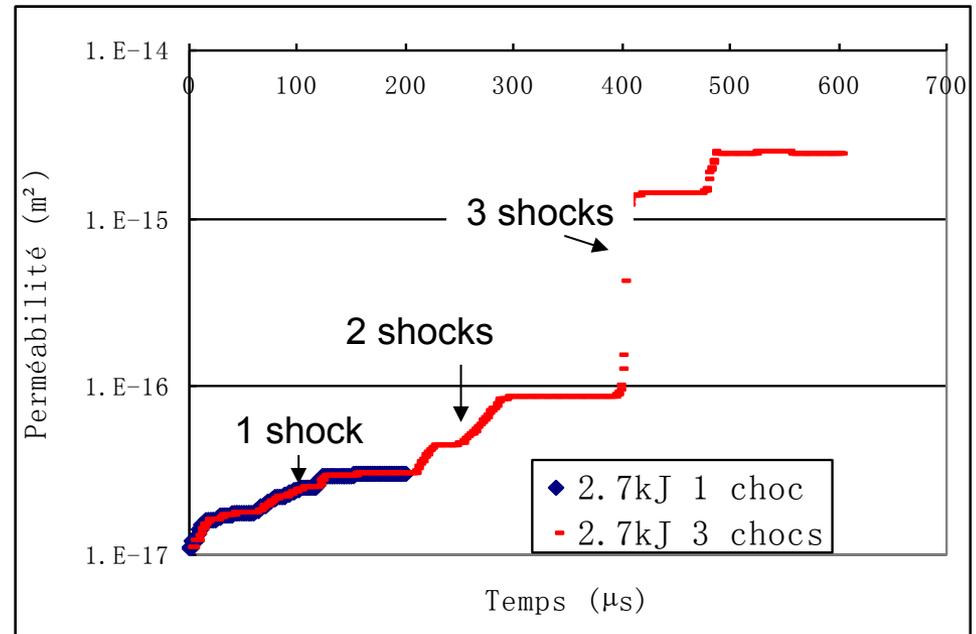
Medium confinement (1500 m),
vertical stress = 19.5 Mpa, confinement stress = 9.1 MPa

Evolution of damage / Evolution of permeability

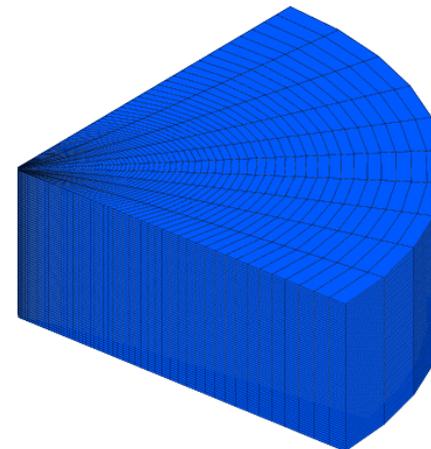
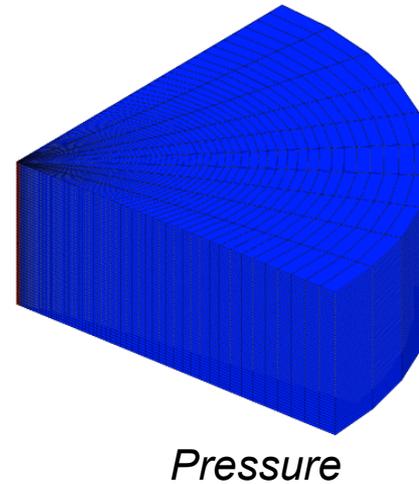
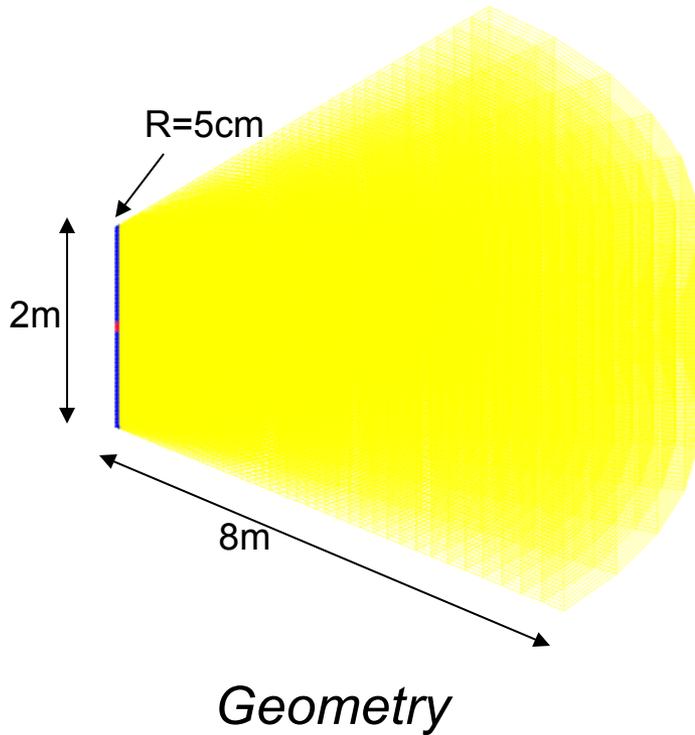
Repeated shocks



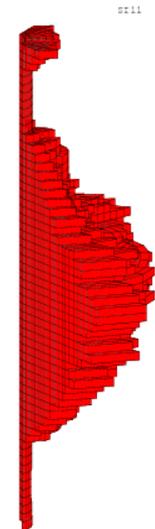
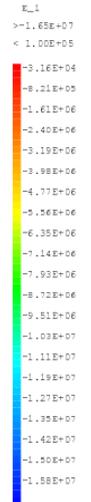
Evolution of permeability



Simulation on a representative problem

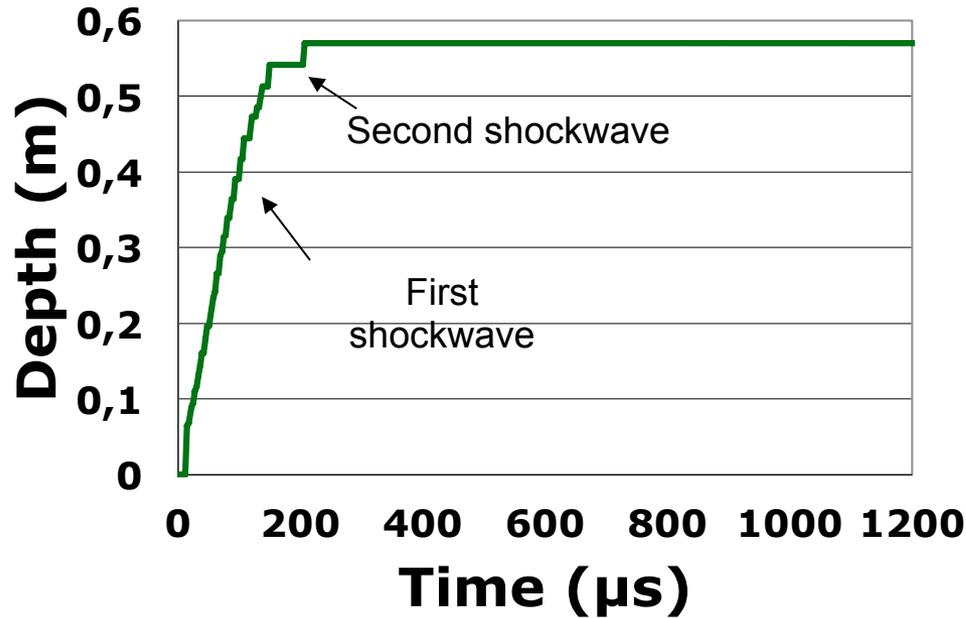


Damage (450kJ)



Simulation on a representative problem

Damaged depth with time



Damaged elements

Concluding remarks

Design and experiment a potential alternative methodology to hydraulic fracturing:

 Describing damage of mortar and rocks due to dynamic loads : anisotropic damage, crack closure, rate dependent effects

 Modelling the anisotropic evolution of permeability

 **Comparisons with experiments**

Evaluation on representative geometries

Acknowledgments



TOTAL



Readings

Electrohydraulic shock wave generation as a means to increase intrinsic permeability of mortar, O. MAUREL, T. REES, M. MATALLAH, A. De FERRON, W. CHEN, C. LABORDERIE, G. PIJAUDIER-CABOT, A. JACQUES, F. REY-BETHBEDER, Cement and Concrete Research, Vol. 40, pp. 1631-1638, 2010.

Modelling anisotropic damage and permeability of mortar under dynamic loads, W. CHEN, O. MAUREL, T. REESS, M. MATALLAH, A. de FERRON, C. LABORDERIE, G. PIJAUDIER-CABOT, Eur. J. Env. Civil Engrg. Vol. 15, 727-742, 2011.

Experimental study on an alternative oil stimulation technique for tight gas reservoirs based on dynamic shock waves generated by Pulsed Arc Electrohydraulic Discharges, W. CHEN, O., MAUREL, T. REESS, A. SYLVESTRE de FERRON, C. La BORDERIE, G. PIJAUDIER-CABOT, F. REY-BETBEDER, A. JACQUES, J. Petroleum Engrg., Vol. 88-89, pp. 67-74, 2012.

Simulation of damage - permeability coupling for mortar under dynamic loads, W. CHEN, C. La BORDERIE, O., MAUREL, G. PIJAUDIER-CABOT, F. REY-BETBEDER, Int. Num. Anal. Meth. Geomechanics, Vol. 38, pp. 457-474, 2014.

Experimental and numerical study of shock wave propagation in water generated by pulsed arc electrohydraulic discharges, W. CHEN, O. MAUREL, C. LA BORDERIE, T. REESS, A. De FERRON, M. MATALLAH, G. PIJAUDIER-CABOT, A. JACQUES, F. REY-BETHBEDER, Heat and Mass Transfer, 50 (5), 673-684, 2014.